

Economics

CH 2 Unit 1

Theory of Demand and elasticity of demand

① **Demand** :- Desire + Means to purchase + willingness to use those means for that purchase

Price	Quantity	
£10	6 units	— Quantity demand
£5	15 units	— Q.D
£1	25 units	

Demand

② **Factors affecting demand**

(i) Price ( $P_x$ )

$P_x \uparrow \quad D \downarrow$   
or  $P_x \downarrow \quad D \uparrow$

Inverse

(ii) Price of Related Goods ( $P_R$ )

a) **Price of Substitute Good**

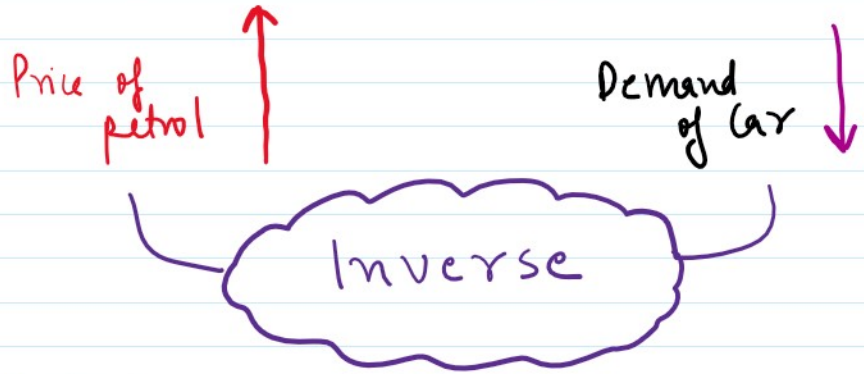
Coke + Pepsi

Price of Pepsi |

Demand |

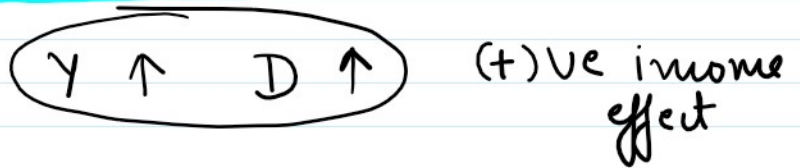


b) Price of Complementary Good

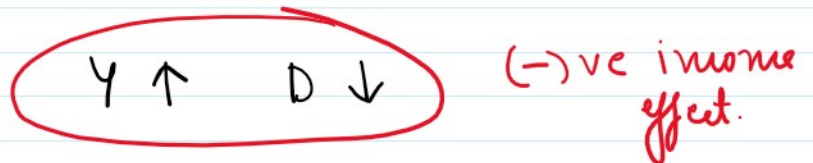


(iii) Income (Y)

a) Normal Good



b) Inferior Good

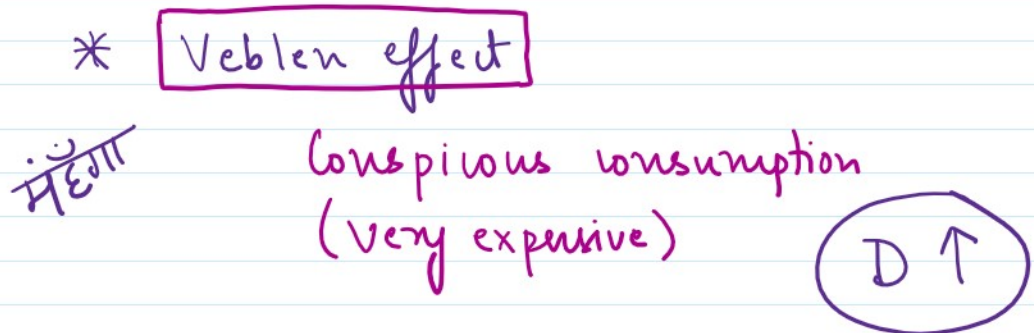
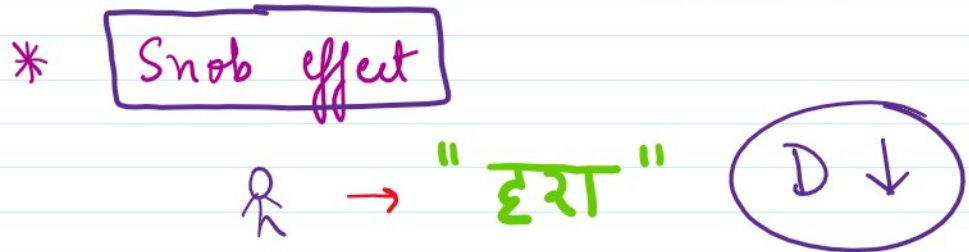
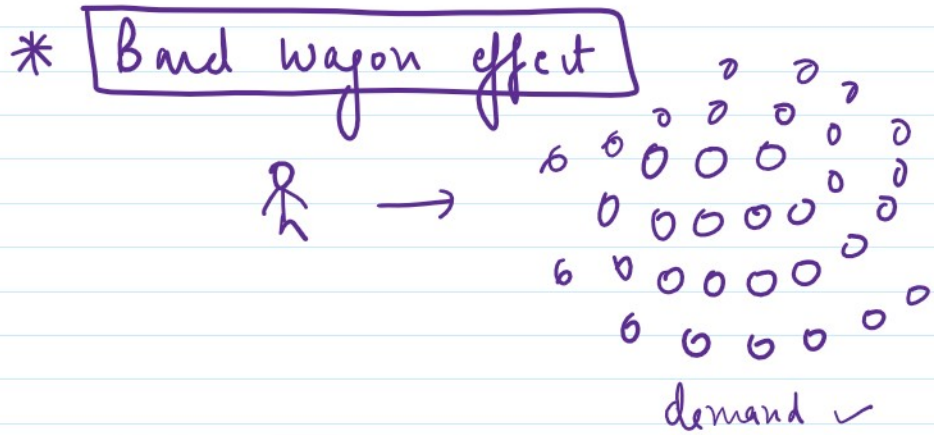
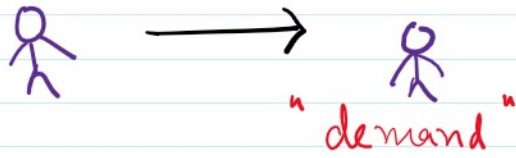


(iv) Taste + preference (T)



\* Demonstration effect





⑤ Other factors (O)  
→ fashion      (D ↑)

③  $Q_x = f(P_x, P_R, Y, T, O)$

Quantity / Factors affecting demand

Demand function

# Demand function

④ Law of Demand (Alfred Marshall)

$$Q_x = f(P_x, P_R, Y, T, O)$$

Assumption :-  
these will not change

inverse



CETERIS PARIBUS

Law of Demand is "QUALITATIVE" statement

"relation"

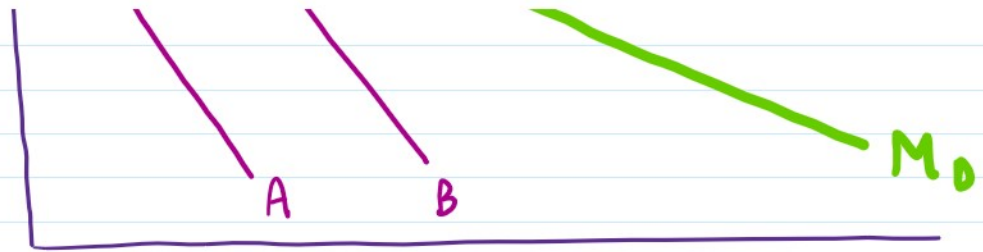
P ↑ Q ↓

~~elasticity?~~  
elasticity ✓

⑤ Market demand

P	Q <sub>A</sub>	Q <sub>B</sub>	Market demand
1	100	90	190
2	90	70	160
3	80	50	130
4	70	30	100

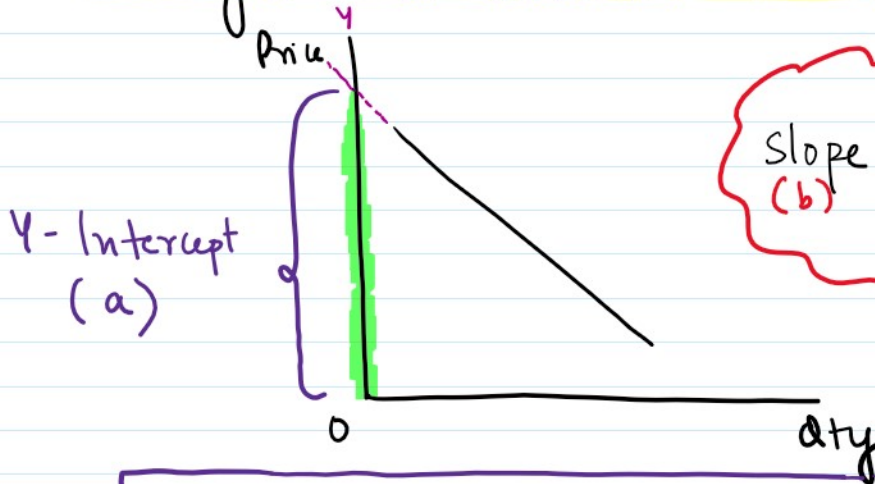




Market demand curve is **Flatter**

⑥

**Straight line demand curve**



Slope =  $(-)$   $\frac{\Delta P}{\Delta Q}$   
 (b)

$$Q = a - bP$$

Quantity      Y-Intercept      slope      price

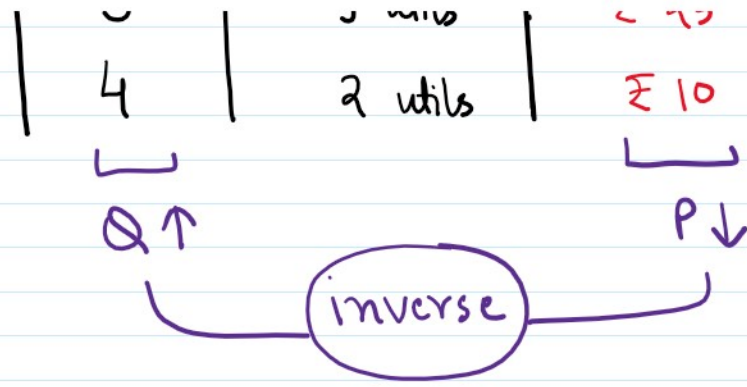
⑦

Why does law of demand operate?

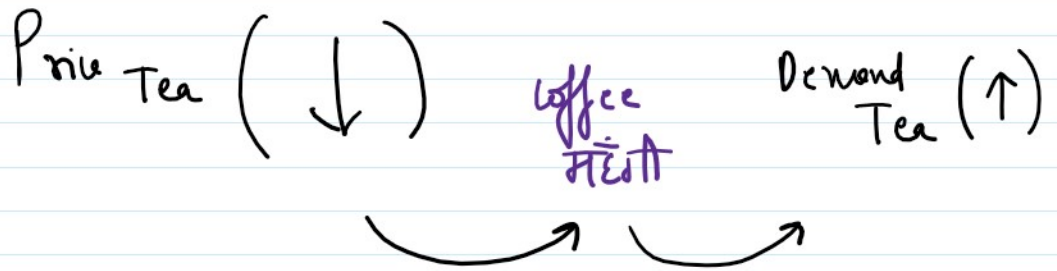
( P ↑ D ↓ or P ↓ D ↑ ) Why

(i) Alfred Marshall - Law of DMU

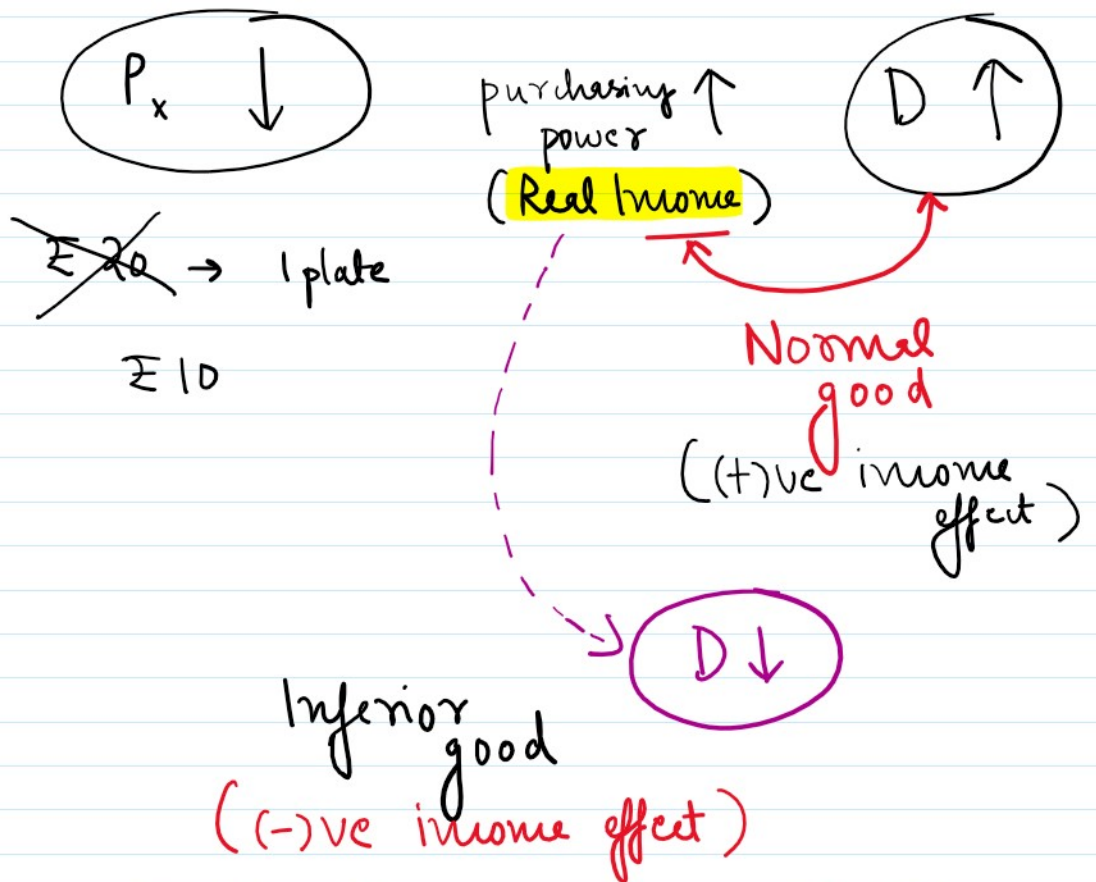
Unit	MU	Price
1	10 utils	£50
2	8 utils	£40
3	5 utils	£25
4	2 utils	£10



(ii) **Substitution effect** (J R Hicks)



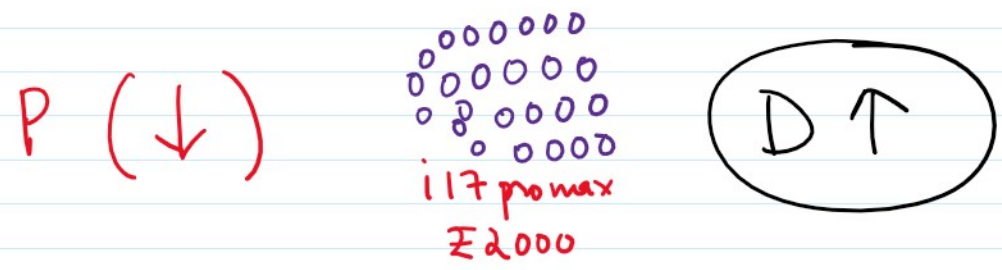
(iii) **Income effect** (J R Hicks)



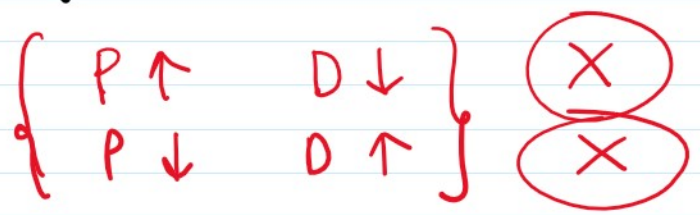
\* Price effect = S.E + I.E

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(iv) Arrival of "new" consumers



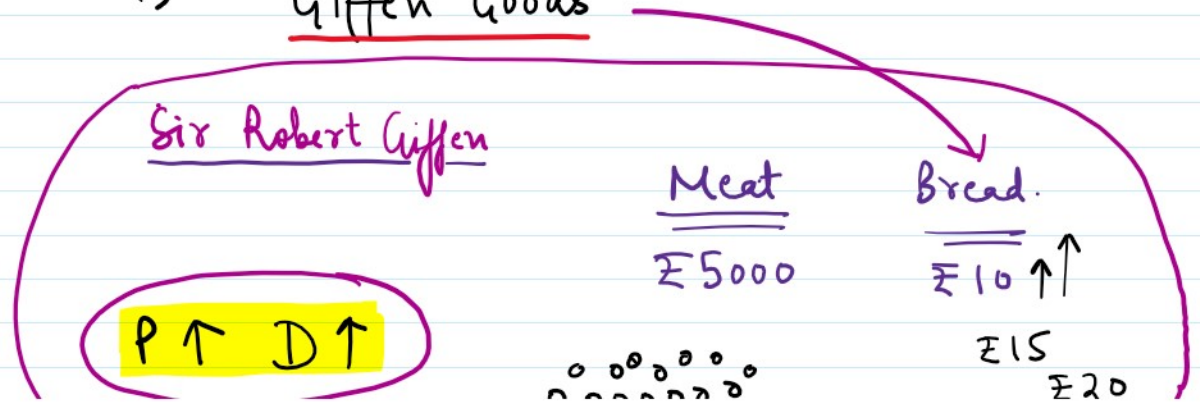
⑧ Exceptions of Law of Demand



- Necessity Goods
- Emergency goods
- conspicuous good / Snob / Veblen goods



→ Giffen Goods



$P \uparrow \quad D \uparrow$



€15  
€20

\* All Giffen Goods are inferior goods.  
but all inferior goods are not giffen

→ Conspicuous necessities

AC, Mobile, TV

→ Irrational behavior

unsound

$P \uparrow \quad D \uparrow$

→ Speculative goods

$P \uparrow \quad D \uparrow$

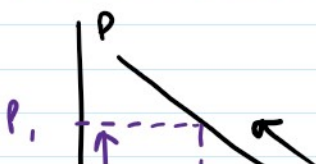
⑨ Change in Quantity demanded vs change in demand

$$Q = f(P_x)$$

expansion  
contraction

$$Q = f(P_R, Y, T, O)$$

Increase  
Decrease



movement  
along





elasticity  
(V. Imp)
elasticity
elasticity
Advertisement elasticity

$$E = \frac{\% \text{ change in Quantity}}{\% \text{ change in } P_x / P_R / Y / A}$$

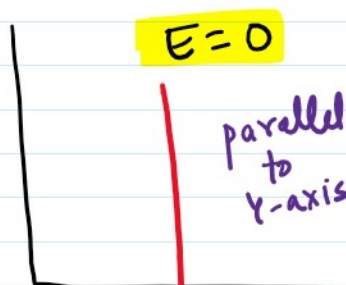
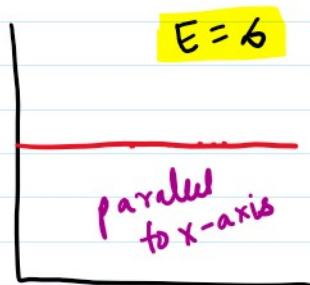
$$\% \text{ change} = \frac{\text{New} - \text{old}}{\text{old}} \times 100$$

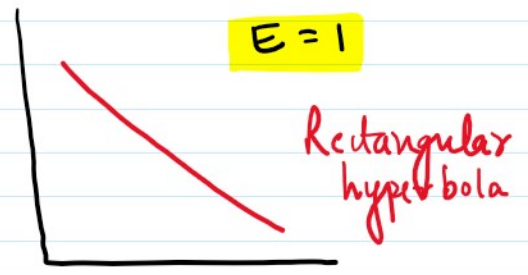
Elasticity has 5 degrees

$$E = \frac{N}{D} = \frac{\% \text{ change in Qty}}{\% \text{ change in Price}}$$

- $E = \infty$  Perfectly elastic
- $E = 0$  Perfectly inelastic
- $E > 1$  More than elastic
- $E < 1$  Less than elastic (Inelastic)
- $E = 1$  Unit elastic

- $N > D$  Ans  $> 1$
- $N < D$  Ans  $< 1$
- $N = D$  Ans  $= 1$
- $N = 0$  Ans  $= 0$
- $D = 0$  Ans  $= \infty$





\* Price elasticity

① Point Method

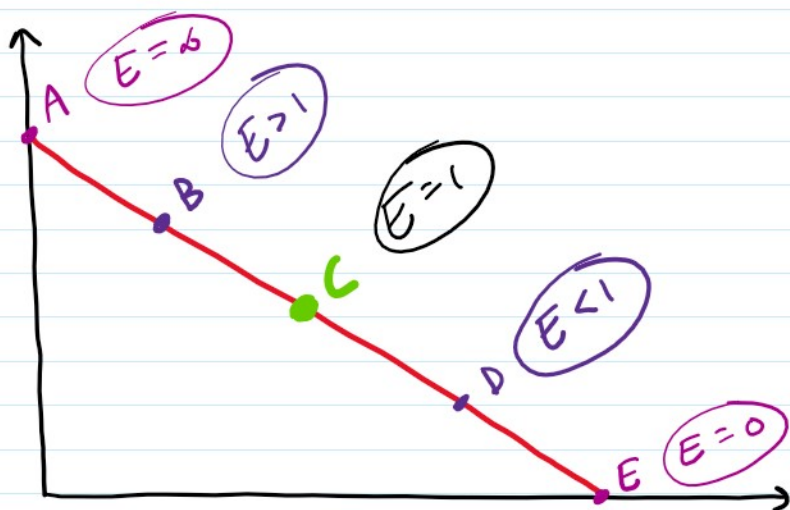
$$E = \frac{\% \text{ change in Quantity}}{\% \text{ change in Price}}$$

$$E = \frac{Q_1 - Q_0}{P_1 - P_0} \times \frac{P_0}{Q_0}$$

$P_0, Q_0$  = old price, old Qty

$P_1, Q_1$  = New price, New Qty

② Geometric Method



$$E = \frac{\text{Lower Segment}}{\text{Upper Segment}}$$

$$E = \frac{\text{Lower segment}}{\text{Upper Segment}}$$

100%

### ③ Arc Method

$$E = \frac{Q_1 - Q_0}{Q_1 + Q_0} \times \frac{P_1 + P_0}{P_1 - P_0}$$

100%

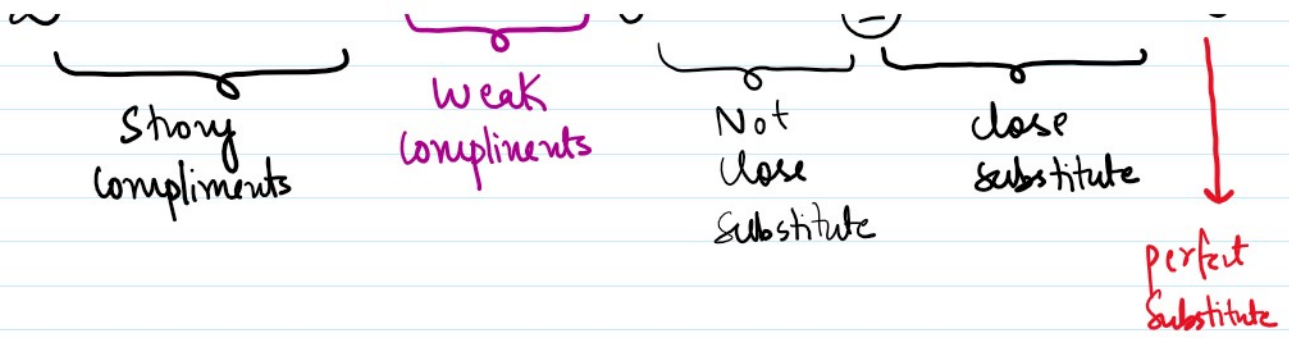
### ④ Total Outlay / Expenditure (Revenue) method

$$T.E = P \times Q$$

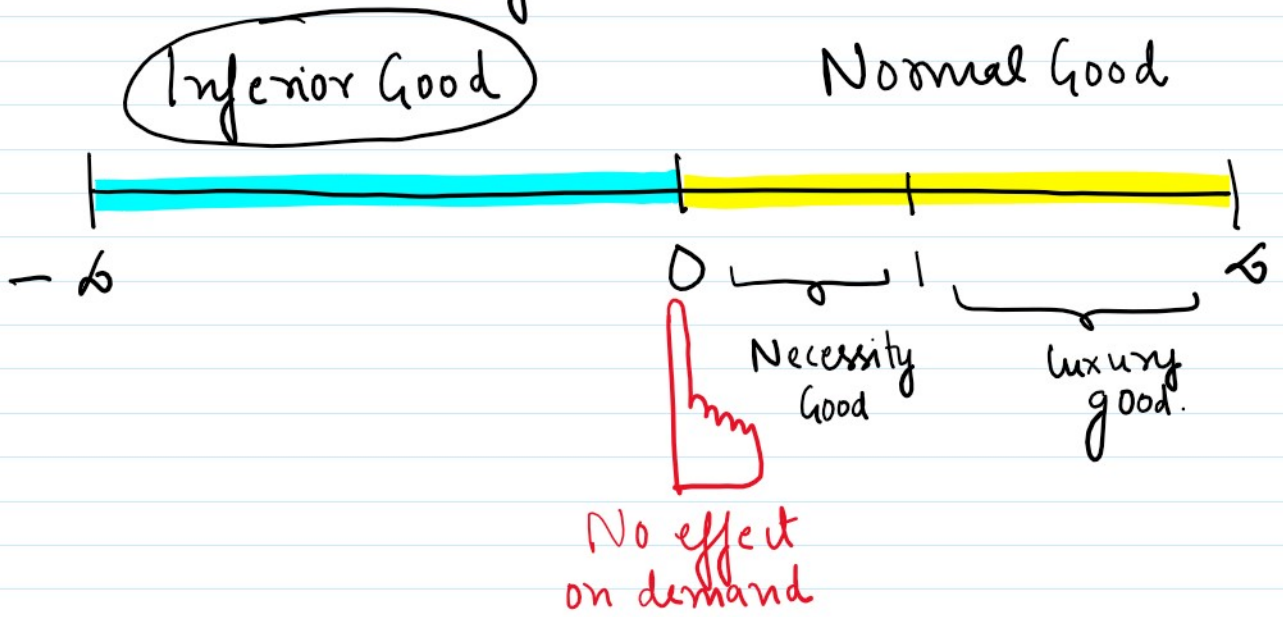
$E > 1$	$E < 1$	$E = 1$
$P \uparrow$ $TE \downarrow$	$P \uparrow$ $TE \uparrow$	$P \uparrow$ or $\downarrow$
$P \downarrow$ $TE \uparrow$	$P \downarrow$ $TE \downarrow$	$TE$ do not change

### \* Cross elasticity





\* Income elasticity



eg :-

$$Q_0 = 100$$

$$Q_1 = 130$$

$$P_0 = 50$$

$$P_1 = 45$$

Find E

$$\% \text{ C in } Q = \frac{130 - 100}{100} \times 100 = 30\%$$

$$\% \text{ C in } P = \frac{45 - 50}{50} \times 100 = (-) 10\%$$

$$E = \frac{30\%}{(-) 10\%} = (-) 3$$

$$E = \frac{30\%}{(-)10\%} = (-)3$$